

Roots Graphing Worksheet 2

Name _____
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Purpose: By the end of this activity, you will understand the connection (relationship) between factors, roots, and x-intercepts for a quadratic equation.

Directions: Answer the following using a graphing calculator when needed.

Preliminary Setup:

Turn [ON] the calculator (located on the bottom left of the calculator)

Press [Y=] and after the $Y_1 =$ press [CLEAR] (which is found under the down blue arrow)

Press [ZOOM], and then press [6] (for standard)

On TI81's press [RANGE] and change the $X_{min} = -10$ to **$X_{min} = -9$** or

On TI82's and TI83's press [WINDOW] and change the $X_{min} = -10$ to **$X_{min} = -8.8$**

I. Answer the following given:

1) $5x^2 - 1x - 4$

A) Solve $5x^2 - 1x - 4 = 0$ by factoring

$$(5x + 4)(x - 1) = 0$$

$$5x + 4 = 0 \quad \text{or} \quad \underline{\hspace{2cm}} = 0$$

$$x = \frac{-4}{5} \quad \text{or} \quad -0.8$$

or $x = \underline{\hspace{2cm}}$

B) Find the roots (x-intercepts) by graphing the related equation $y = 5x^2 - 1x - 4$ and tracing over to the x-intercept

Recall: Press [Y=] and after the $Y_1 =$ enter: $5x^2 - 1x - 4$ by entering

on TI81's: [5] [x | T] [x²] [-] [1] [x | T] [-] [4] or *Note: Use a *minus* sign NOT the negative (-) sign

on TI82's and TI83's: [5] [x , T , θ] [x²] [-] [1] [x , T , θ] [-] [4]

Press [GRAPH]

Press [TRACE]

a) To find the first root (i.e. an x-intercept) press the left blue arrow until $Y =$ ~~≠~~ Answer: $X = \underline{\hspace{2cm}}$ when $Y = 0$

b) To find the other root (x-intercept) press [TRACE] and press the right blue arrow until $Y = 0$
~~≠~~ Answer: $X = \underline{\hspace{2cm}}$ when $Y = 0$

2) $x^2 + 1x - 6$

A) Solve $x^2 + 1x - 6 = 0$ by factoring

$$(x + \underline{\hspace{1cm}})(\underline{\hspace{1cm}} - 2) = 0$$

$$\underline{\hspace{2cm}} = 0 \quad \text{or} \quad \underline{\hspace{2cm}} = 0$$

$$x = \underline{\hspace{2cm}} \quad \text{or} \quad x = \underline{\hspace{2cm}}$$

B) Find the roots (x-intercepts) by graphing the related equation $y = x^2 + 1x - 6$ and tracing over to the x-intercept

a) First root (i.e. an x-intercept) ~~≠~~ Answer: $X = \underline{\hspace{2cm}}$ when $Y = 0$

b) Other root (x-intercept) ~~≠~~ Answer: $X = \underline{\hspace{2cm}}$ when $Y = 0$

3) $x^2 - 16$

A) Solve $x^2 - 16 = 0$ by factoring

$(x + \underline{\quad}) (x - \underline{\quad}) = 0$

$\underline{\quad} = 0$ or $\underline{\quad} = 0$

$x = \underline{\quad}$ or $x = \underline{\quad}$

B) Find the roots (x-intercepts) by graphing the related equation $y = x^2 - 16$ and tracing over to the x-intercept

a) First root (i.e. an x-intercept) ✍ Answer: $X = \underline{\quad}$ when $Y = 0$

b) Other root (x-intercept) ✍ Answer: $X = \underline{\quad}$ when $Y = 0$

New setup:

Press [Y=] and after the $Y_1 =$ press [CLEAR] (which is found under the down blue arrow)

On TI81's press [RANGE] and change the $X_{min} = -9$ to **$X_{min} = -4.75$** and the $X_{max} = 10$ to **$X_{max} = 4.75$** or

On TI82's and TI83's press [WINDOW] and change the

$X_{min} = -8.8$ to **$X_{min} = -4.7$** and the $X_{max} = 10$ to **$X_{max} = 4.7$**

4) $x^2 + 4x + 2$

A) Can $x^2 + 4x + 2 = 0$ be factored? (yes or no) Answer: $\underline{\quad}$
Therefore, we can not solve this by the factoring method.

B) Find the roots (x-intercepts) by graphing the related equation $y = x^2 + 4x + 2$ and tracing over to the x-intercept

This problem has two x-intercepts but are they exact (nice) roots? Answer: $\underline{\quad}$

Therefore, we know that there are roots to this problem since there are x-intercepts which are

between $\underline{\quad}$ and $\underline{\quad}$ or between $\underline{\quad}$ and $\underline{\quad}$
but it is too hard to find the exact values by graphing and tracing.

Conclusion: To solve a quadratic equation we can *factor* it or *graph* the related equation but as we have just seen not all quadratics factor and some problems when graphed are too hard to find the exact x-intercepts. There is an *algebraic* method that we can use to solve all quadratic equations. It is called completing the square and is discussed later in Algebra.